

Research Article

PDA to Identify Palindrome Subsequence Problem in DNA Sequence

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Abstract

DNA molecules contains the strings consisting of four symbols namely 1) A-adenine, 2) C-cytosine, 3) G - guanine and 4) T-thymine. Since the bio-molecular structures can be defined in terms of sequence of symbols (i.e., strings) there exists a correlation between formal model and bi-molecular structure. DNA palindromes appear frequently and are widespread in human cancers. Identifying them could help advance the understanding of genomic instability (Choi Charles Q, 2005; Tanaka, Hisashi; et al, 2003). The Palindrome subsequences detection problem is therefore an important issue in computational biology. In this paper we presented a Push down Automata Model (PDA) to identify all palindrome subsequence that is present in the DNA sequence.

Keywords: The PushDown Automata, subsequence algorithm, DNA base sequence.

1. Introduction

The very basic unit of the human genome is a single DNA nucleotide. This nucleotide is extremely small and is made up of minuscule atoms, which creates a challenge for even an advanced microscope to be used for detection. Researchers still, however, need to be able to determine the sequence of bases in DNA that make up the human genome. As such, DNA sequencing has been developed but the process itself is seemingly complex one. DNA sequencing involves the determination of the order of DNA bases. You may be wondering what makes these bases so important. In a strand of DNA, there are some simple units known as nucleotides. These nucleotides have a 'backbone' that consists of sugars and a phosphate group. The DNA bases can be one of four kinds and they are attached to these sugars. These bases hold the important and unique genetic information for your body. These bases are: Adenine (A), Thymine (T), Cytosine (C) and Guanine (G)

They explained how the DNA chains travelled in opposite directions, with the bases on the inside of the helix and the phosphates on the outside. They emphasised the importance of how these two chains are held together by the purine and pyrimidine bases. A purine pairs with a pyrimidine base, which means that one base from a chain is bonded to a single base from the other chain. Ultimately, this means that the two bases lie side-by-side. If you recall the four bases mentioned earlier, you can perhaps understand now how the bases are very specific in how they pair with another base. An adenine base only pairs with thymine and a guanine base only pairs with

cytosine. This understanding of the structure of DNA is particularly important because it led to the realization that if there is an adenine on one side of the pair, then the other base must be thymine. Similarly, if we know there is guanine on one side of the chain, it is paired with cytosine. What this essentially means is that if there is a set sequence of bases on one side of the chain, the other side is automatically determined.

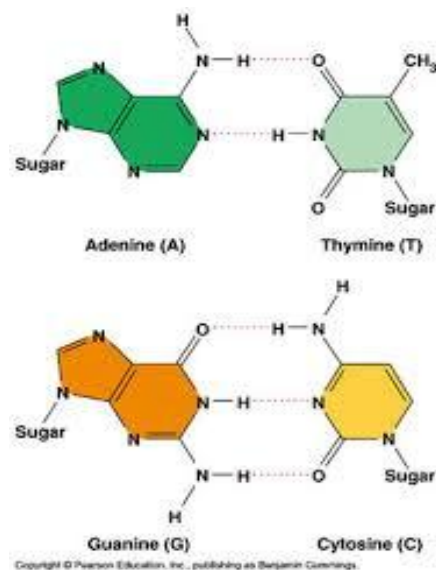


Figure 1: DNA base pairs

2. Pushdown Automata (PDA)

Pushdown automata are used in theories about what can be computed by machines. They are more capable than finite-

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state machines but less capable than Turing machines .Pushdown automata differ from finite state machines in two ways:

- 1) They can use the top of the stack to decide which transition to take.
- 2) They can manipulate the stack as part of performing a transition.

Pushdown automata choose a transition by indexing a table by input signal, current state, and the symbol at the top of the stack. This means that those three parameters completely determine the transition path that is chosen. Finite state machines just look at the input signal and the current state: they have no stack to work with. Pushdown automata add the stack as a parameter for choice.

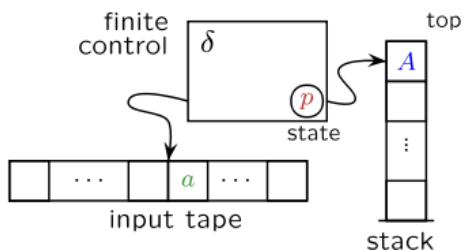


Figure 2: Block Diagram of PDA

PDA is formally defined as a 7-tuple:

$$M = (Q, \Sigma, \Gamma, \delta, q_0, Z, F)$$

where

- Q is a finite set of states
- Σ is a finite set which is called the input alphabet
- Γ is a finite set which is called the stack alphabet
- δ is a finite subset of $Q \times (\Sigma \cup \epsilon) \times \Gamma$ to $Q \times \Gamma^*$, the transition relation.
- $q_0 \in Q$ is the start state
- $Z \in \Gamma$ is the initial stack symbol
- $F \subseteq Q$ is the set of accepting states

3. Proposed model

A string is a sequence of symbols from an alphabet set Σ . A string is a sequence of symbols from an alphabet set . For a string $S = s_1s_2...s_n$ of length n , let s_i denote the i th symbol in S . A subsequence of S is obtained by deleting zero or more (not necessarily consecutive) symbols from S . A palindrome is a string of the form ww^R where w is a non-empty substring and w^R is the reverse of w . For example, TT and GCAACG are palindromes. There are many various classic computing problems in finding palindromes of a string. For example, Manacher discovered an on-line sequential algorithm that finds all initial palindromes in a string (Manacher D et al, 1975). Porto and Barbosa gave an algorithm to find long approximate palindromes (Proto A. H et al, 2002). In computational molecular biology, finding out the palindrome subsequences in DNA sequence is an important issue (Gusfield D. et al, 1997). However, as far as we know, there is no article discussing about how to verify the all palindrome subsequences in computation model.

3.1 K-Palindrome Subsequence Algorithm

In this algorithm, we find all palindrome subsequences form one palindrome subsequence to the longest palindrome subsequence. Given a string S of length n , let U_k be the set of K -palindrome where $1 \leq K \leq n/2$.

Step 1: We use incidence matrix to find all matched pair (i,j) where $1 \leq i < j \leq n$. and add them into U_1 , because each matched pair is 1-palindrome subsequence .

Step 2 : We generate U_k from U_{k-1} and U_1 where $1 \leq K \leq n/2$. . For all $k-1$ -palindrome subsequences in U_{k-1} , we take a $k-1$ -palindrome subsequence $(i_1, j_1) \dots (i_{k-1}, j_{k-1})$ form U_{k-1} and we check all 1-palindromes from U_1 whether there is a 1-palindrome (i', j') which satisfies the rule $i' > i_{k-1}$ and $j' < j_{k-1}$. If it is satisfied, we combine the $k-1$ -palindrome $(i_1, j_1) \dots (i_{k-1}, j_{k-1})$ with the 1-palindrome (i', j') to be k -palindrome $(i_1, j_1) \dots (i_{k-1}, j_{k-1}) (i', j')$ and add it into the set U_k . Until the $Un/2$ is generated, we can get the set $U = U_1 U_2 \dots U_{n/2}$ which contains all palindrome subsequences of S .

Ex : Given a string $S = ACGATGTAC$, We now illustrate the whole procedure in detail,

S1 S2 S3 S4 S5 S6 S7 S8 S9
A C G A T G T A C

Step 1: We use incidence matrix to find all matched pairs (i, j) where $1 \leq i < j \leq n$. Table 1 The incidence matrix for this string $S = ACGATGTAC$.

Table 1: Incidence Matrix for the String S

9	C									
8	A								0	
7	T							0	0	
6	G						0	0	0	
5	T					0	1	0	0	
4	A				0	0	0	1	0	
3	G			0	0	1	0	0	0	
2	C		0	0	0	0	0	0	1	
1	A	0	0	1	0	0	0	1	0	
Si	/	A	C	G	A	T	G	T	A	C
Sj		1	2	3	4	5	6	7	8	9

After generating above the incident matrix, we can get the $U_1 = \{(1, 4), (1, 8), (2, 9), (3, 6), (4, 8), (5, 7)\}$ and corresponding string $s_1 = \{AA, CC, GG, TT\}$, $U_2 = \{(1, 8) (3, 6), (1, 8) (5, 7), (2, 9) (3, 6), (2, 9) (4, 8), (2, 9) (5, 7), (4, 8) (5, 7)\}$, and corresponding strings are $s_2 = \{AGGA, ACCA, CGGC, CAAC, CTTC, ATTA\}$ and similarly for $U_3 = \{(2, 9) (4, 8) (5, 7)\}$ and the set $s_3 = \{CATTAC\}$.

Now consider a set $S = S_1 U_2 U_3$ $i, e S = \{AA, CC, GG, TT, AGGA, ACCA, CGGC, CAAC, CTTC, ATTA, CATTAC\}$. Above gene sequence present in the S resembles the context-free language $L = \{WW^R / W \in \{a, b\}^*\}$.

By using the Pushdown automata to verify that the language of the form WW^R is a palindrome. The formal machine for this language as shown below.

$\delta(q_0, a, Z_0) = \{ (q_0, aZ_0) \}$
 $\delta(q_0, b, Z_0) = \{ (q_0, bZ_0) \}$
 $\delta(q_0, a, a) = \{ (q_0, aa), (q_1, \epsilon) \}$
 $\delta(q_0, a, b) = \{ (q_0, ab) \}$
 $\delta(q_0, b, a) = \{ (q_0, ba) \}$
 $\delta(q_0, b, b) = \{ (q_0, bb), (q_1, \epsilon) \}$
 $\delta(q_1, a, a) = \{ (q_1, \epsilon) \}$
 $\delta(q_1, b, b) = \{ (q_1, \epsilon) \}$
 $\delta(q_0, \epsilon, Z_0) = \{ (q_1, \epsilon) \}$
 $\delta(q_1, \epsilon, Z_0) = \{ (q_2, Z_0) \}$

We can prove this by following theorem.

Theorem: The PDA for $L = WW^R$ accepts a string x by final state if and only if x is of the form WW^R .

Proof: (if-part) : If the string is of the form wwR then there exists a sequence of IDs that leads to a final state:

$(q_0, ww^R, Z_0) \xrightarrow{---*} (q_0, w^R, wZ_0) \xrightarrow{---*} (q_1, w^R, wZ_0) \xrightarrow{---*}$
 $(q_1, \epsilon, Z_0) \xrightarrow{---*} (q_2, \epsilon, Z_0)$

(only-if part); Proof by induction on $|x|$

Conclusion

Today's large-scale sequencing projects would be impossible without automatic sequencing machines. So the

DNA molecules become separated into different bands according to their size. Here we find palindrome subsequence and verified that sequence by automatic machine. It is an effective tool for further research.

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